

Working Paper No. 66/04

**Local autonomy and interregional
equality**

by

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SNF Project No. 2515

From circumstance to choice: Implications of the new genetics
for social justice and health policy

The project is financed by the Research Council of Norway

INSTITUTE FOR RESEARCH IN ECONOMICS AND BUSINESS
ADMINISTRATION
BERGEN 2004
ISSN 1503-2140

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Local autonomy and interregional equality

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November 24, 2004

Abstract

This paper shows how two important interregional transfer schemes, the foundation grant and the power equalization grant, can be seen as two different interpretations of equal opportunity ethics. It provides characterizations of both transfer schemes by the use of basic liberal egalitarian principles. Both the foundation grant and the power equalization grant scheme make use of specific reference levels. The paper also shows how reasonable requirements on the transfer schemes restrict the set of possible reference levels.

1 Introduction

Local jurisdictions within the same country often have different capacities for raising revenues and face different costs of providing public goods. This calls for intergovernmental transfers. Fiscal equalization aims at reconciling two important political principles in such situations. First, the *principle of fiscal capacity equalization*, saying that differences in the fiscal capacity among local jurisdiction should be eliminated. This principle reflects a concern with interregional inequality being a result of factors outside the control of the local jurisdictions. Second, the *principle of fiscal responsibility*, saying that the jurisdictions should be held responsible for decisions under their control, in particular their tax effort. This principle reflects a concern with

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local autonomy, where local tax discretion is seen as a way both of ensuring local democracy and of capturing decentralization gains. The fundamental challenge for the central government is thus to design a transfer scheme that satisfies both these two fundamental principles, that is, a transfer scheme that gives all local jurisdictions equal opportunities and at the same time holds them responsible for their decisions?

The equal opportunity approach has been predominant in the fiscal federalism literature (Boadway and Flatters (1982), Le Grand (1975, 1991), Ladd and Yinger (1994), Oakland (1994), Mieszkowski and Musgrave (1999)). This predominance corresponds to a revival of liberal egalitarian, or equal opportunity, theories of justice in the philosophical and the welfare economics literature (Rawls (1971), Dworkin (1981), Sen (1985), Arneson (1989), Cohen (1993), Roemer (1993, 1996, 1998), Fleurbaey (1995a,b), Bossert and Fleurbaey (1996), Cappelen and Tungodden (2002, 2003) and Tungodden (2004)). This revival reflects a concern with the lack of considerations of individual autonomy and personal responsibility in standard welfaristic models. Liberal egalitarian ethics in its most general form, on the other hand, states that society should indemnify agents against poor outcomes that are the consequence of factors that are beyond their control, but not against outcomes that are the consequences of factors that are within their control (Roemer (1998)).

The liberal egalitarian view is also considered to be a much more promising position than standard strict (or outcome) egalitarianism. Strict egalitarianism does not allow any inequality among agents, and hence is not at all sensitive to differences in choices. It can be criticized on two accounts. First, it is inefficient; second, it is unfair. The former criticism is well-known and has been a major concern in the design of intergovernmental transfer schemes. In this paper, however, we should like to focus on the nature of the fairness argument for allowing inequalities in local government revenues. Irrespective of incentive considerations, liberal egalitarians find it *fair* that agents are held responsible for their choices.

An inherent difficulty faced by liberal egalitarian theories is to determine which factors should be considered to be, respectively, within and beyond the control of the agents. In the context of fiscal equalization, this amounts to clarifying where the ‘cut’ should be drawn between the responsibilities of the central government and the responsibilities of the local governments. The literature on fiscal equalization generally assumes that the tax base, or the *fiscal capacity*, is outside the control of the local governments, whereas the tax rate, or *tax effort*, is considered within the control of the local government.

We will adopt this assumption and thus do not pursue a further discussion of the basis for the assignment of local government responsibility. However, the reported results can easily be generalized to situations where, for example, the fiscal capacity partly is under the control of local governments and where local governments only have limited control over its tax effort.

In this paper, we show that the two prominent interregional transfer schemes, the *foundation grant* and the *power equalization grant*, satisfy two different interpretations of liberal egalitarian or equal opportunity ethics. More precisely, we establish that the difference between the foundation grant scheme and the power equalization grant scheme corresponds to a disagreement about how one should interpret the principle of fiscal capacity equalization and the principle of fiscal responsibility. The paper thus provides a normative justification for each of the two transfer schemes.

Both the foundation and the power equalization grant make use of specific reference levels. The foundation grant scheme relies on a notion of a reference tax rate and the power equalization grant scheme on a notion of a reference jurisdiction. An important policy question is thus how these reference levels should be determined. In practice, this has to be decided in the political sphere, but we will show how various reasonable requirements on the transfer schemes restrict the set of possible reference levels.

The paper is organized as follows. In Section 2, we introduce the general model and the concept of fiscal capacity. Sections 3 and 4 analyze foundation grants and power equalization grants respectively, whereas Section 5 considers the problem of choosing reference levels. Section 6 concludes.

2 The fiscal capacity

Consider the following simple model with $N > 2$ local jurisdictions, where we assume that all jurisdictions are equally sized.¹ The revenues in jurisdiction i , R_i , are given by,

$$R_i(\mathbf{t}, T) = t_i Y_i + T_i(\mathbf{t}), \quad (1)$$

where Y_i is the tax base and $0 \leq t_i \leq 1$ is the tax rate of jurisdiction i , $T_i(\mathbf{t})$ is the transfer to jurisdiction i within the intergovernmental transfer

¹It is straightforward to extend the model to a situation with jurisdictions of different size.

scheme T and given the vector of local taxes $\mathbf{t} = \langle t_1, \dots, t_N \rangle$.

Each local government i spends a certain amount, B_i , per capita on public services. Normalizing the population in each jurisdiction to unity, total expenditures can be written as,

$$B_i = G_i p_i, \quad (2)$$

where G_i is the level of public services provided in jurisdiction i and p_i is the price level in the same jurisdiction. The budget constraint of a local government i is given by,

$$B_i = R_i(\mathbf{t}, T) \quad (3)$$

Using the local government budget constraint (3) in (2), we can write the level of public services as a function of the vector of taxes,

$$G_i(\mathbf{t}, T) = \frac{R_i(\mathbf{t}, T)}{p_i}. \quad (4)$$

By assumption, the per capita tax base and the unit price of production are outside the control of the local government, whereas the tax rate can be set at their discretion. Let T^0 refer to the situation in which there is no intergovernmental transfers. In this case, the public service level is given by,

$$G_i(\mathbf{t}, T^0) = \frac{t_i Y_i}{p_i}. \quad (5)$$

We refer to $\frac{G_i(\mathbf{t}, T^0)}{t_i} = \frac{Y_i}{p_i}$ as the fiscal capacity of jurisdiction i . If all jurisdictions have the same fiscal capacity, then the liberal egalitarian perspective does not justify any redistribution. In general, however, we assume that there are at least two local jurisdictions j and k who differ in fiscal capacity.

We also assume that the central government does not have any external funds.² Any positive transfer to one jurisdiction, therefore, has to be financed by a negative transfer from other jurisdictions.

$$\sum T_i(\mathbf{t}) = 0. \quad (6)$$

As we will return to shortly, some standard grant formulas violate this condition. However, schemes of transfers that do not satisfy the central

²The model can easily be extended to the case where $\sum T_i(\mathbf{t}) = M$ for some $M \geq 0$.

government budget restriction (6), will result in a deficit that must be financed by all the members of society. Consider for example a situation in which the deficit is financed by a proportional tax, τ , levied by the central government on the total tax base in the country. In this situation, we have that $\sum T_i(\mathbf{t}) = \tau \sum Y_i$. The tax levied by the central government would be paid by tax payers residing in the local jurisdictions, where tax payers in jurisdiction i would pay τY_i . However, this can easily be rewritten as $\sum (T_i(\mathbf{t}) - \tau Y_i) = \sum T_i^*(\mathbf{t}) = 0$, where T^* describes the net transfers from the central government. To simplify the discussion, but without loss of generality, we therefore view the transfer as the central government transfer net of taxes levied by the central government on the local tax base.

3 Foundation grants

A standard interpretation of the principle of fiscal equalization is that all jurisdictions choosing some reference tax level should be able to provide the same level of public services (Ladd and Yinger (1994)). Formally, this requirement can be stated as follows.

Equal Provision for Reference Tax (EPRT): For any two local jurisdiction, i and j , any reference tax level t^R , and any situation characterised by the tax vector \mathbf{t} , if $t_i = t_j = t^R$, then $G_i(\mathbf{t}, T) = G_j(\mathbf{t}, T)$.

A standard interpretation of the principle of fiscal responsibility is that the local jurisdictions should be held accountable for the actual consequences of a change in their tax effort. Each jurisdiction thus should receive the marginal increase in revenue that follows from an increase in the local tax rate.

Marginal Revenue Responsibility (MRR): For any jurisdiction j and any two situations characterized by the tax vectors \mathbf{t} and \mathbf{t}^1 , where $t_j \neq t_j^1$ and $t_i = t_i^1$ for all $i \neq j$, $R_j(\mathbf{t}, T) - R_j(\mathbf{t}^1, T) = t_j Y_j$ and $R_i(\mathbf{t}, T) = R_i(\mathbf{t}^1, T)$.

The *foundation grant scheme* is a prominent transfer scheme in the fiscal federalism literature and can be formalized as follows in the present framework.

$$T_i^F(\mathbf{t}) = p_i G^R - t^R Y_i, \quad (7)$$

where G^R is the reference public service level and t^R the reference tax rate. Given (7), the transfer given to each jurisdiction is determined inde-

pendently of the local tax level and set so as to ensure that all jurisdictions choosing a reference tax rate t^R are able to finance a reference public service level, G^R . Consequently, it follows straightforwardly that the foundation grant satisfies standard interpretations of the principle of fiscal equalization and the principle of fiscal responsibility.

Observation 1. *The foundation grant scheme T^F satisfies both the requirement of Equal Provision for Reference Tax (EPRT) and the requirement of Marginal Revenue Responsibility (MRR).*

The foundation grant scheme, as defined in (7), does not, however, satisfy the central government budget restriction (6), because G^R and t^R are determined independently of each other. In order to satisfy (6), the foundation grant scheme has to be based either on a reference level of public services *or* on a reference tax rate, as we will now show more formally.

Assume that we start by setting a reference tax rate t^R . This standard tax rate defines, together with the budget constraints at the local and at the national level, a unique public service level, G^* . Let us first aggregate the local budget constraints (3),

$$\sum p_i G^* = \sum (t^R Y_i + T_i^F(\mathbf{t})).$$

Rearranging we get,

$$G^* \sum p_i = t^R \sum Y_i + \sum T_i^F(\mathbf{t}).$$

Finally, by using (6), we find that,

$$G^* = t^R \frac{\bar{Y}}{\bar{p}}, \tag{8}$$

where $\bar{p} = \frac{\sum p_i}{N}$ and $\bar{Y} = \frac{\sum Y_i}{N}$. Substituting G^* for G^R in (7), we can establish the *balanced foundation grant* scheme,

$$T_i^{BF}(\mathbf{t}) = p_i G^* - t^R Y_i. \tag{9}$$

Alternatively, taking into account (8), it may be presented in the following way,

$$T_i^{BF}(\mathbf{t}) = t^R p_i \left(\frac{\bar{Y}}{\bar{p}} - \frac{Y_i}{p_i} \right). \tag{10}$$

From (10), we observe that local jurisdictions with a fiscal capacity below (above) the average fiscal capacity, $\frac{\bar{Y}}{\bar{p}}$, will receive positive (negative) transfers.

If we compare the balanced foundation grant scheme (10) with the foundation grant scheme (7), we notice that it is no longer the absolute price level and the absolute tax base that determine the level of transfer. By taking into account the overall budget constraint in the economy, we see that the relevant parameters determining the size of the interregional transfer are the *relative* price level and the *relative* size of the tax base compared to other local jurisdictions.³

It turns out that the balanced foundation grant is the only class of transfer schemes that satisfies the requirement of equal provision for reference tax and the requirement of marginal reward responsibility.

Proposition 1 *An intergovernmental transfer scheme T satisfies the requirement of Equal Provision for Reference Tax (ERST) and the requirement of Marginal Reward Responsibility (MRR) if and only if it is the balanced foundation grant T^{BF} .*

Proof. See Appendix, Section 7.1. ■

Given that equal provision for reference tax and marginal revenue responsibility are standard interpretations of the principle of fiscal capacity equalization and the principle of fiscal responsibility respectively, Proposition 1 should constitute an interesting normative justification of the balanced foundation grant scheme.

The requirement of equal provision for reference tax ensures equalization of fiscal capacity for a single reference tax level. But it allows for differences at all other levels of local taxation because each jurisdiction is held accountable for the *actual* consequences of a change in its tax effort. However, since a

³The link between the foundation grant and the balanced foundation grant can be illustrated further by separating the balanced foundation grant into two parts. First, suppose that G^R and t^R were determined independently, that is, that everyone received a transfer determined by the foundation grant (7). This would have generated a deficit (or a surplus). Second, let this deficit (or surplus) be distributed among jurisdictions in a way that implies that jurisdictions choosing the reference tax rate t^R attain the public service level G^* . Formally, we can do this by rewriting (10) in the following way, $T_i^{BF}(\mathbf{t}) = p_i G^R - t^R Y_i - p_i(G^R - G^*)$. Using (8) and rearranging, we get, $T_i^{BF}(\mathbf{t}) = T_i^F(\mathbf{t}) - \frac{p_i}{\sum p_j} D(G^R, t^R)$, where $D(G^R, t^R) = \sum (p_j G^R - t^R Y_j) = \sum T_i^F(\mathbf{t})$ is the total deficit (or surplus) generated by (7).

jurisdictions' fiscal capacity is outside its control, it can be argued that the foundation grant violates the principle of equalization principle by holding jurisdictions responsible for too much. In other words, the foundation grant system may rely on too weak a concept of fiscal capacity equalization and too strong a concept of fiscal responsibility. We now turn to a transfer scheme that arguably avoids both these problems.

4 Power equalization grants

It has been argued that local governments should have the same opportunities, or power, to provide public goods and services for *all* levels of tax effort (Le Grand 1975, 1991). We can write this requirement as follows.

Equal Provision for Equal Tax (EPET): For any two local jurisdictions i and j and any situation characterised by some tax vector \mathbf{t} , if $t_i = t_j$, then $G_i(\mathbf{t}, T) = G_j(\mathbf{t}, T)$.

This requirement is a stronger, and arguably, a better, interpretation of the principle of fiscal capacity equalization than the requirement of equal provision for reference tax. However, it turns out that EPET is incompatible with the requirement of marginal revenue responsibility, unless all jurisdictions have the same fiscal capacity.⁴

Proposition 2 *There exists no intergovernmental transfer scheme T that satisfies the requirement of Equal Provision for Equal Tax (EPET) and the requirement of Marginal Revenue Responsibility (MRR).*

Proof. See Appendix, Section 7.2. ■

If we give up marginal revenue responsibility, however, then there are many transfer schemes satisfying equal provision for equal tax. The most prominent in the fiscal federalism literature is the *power equalization grant*.

$$T_i^{PE}(\mathbf{t}) = t_i p_i \left(\frac{Y^R}{p^R} - \frac{Y_i}{p_i} \right), \quad (11)$$

where $\frac{Y^R}{p^R}$ represents the fiscal capacity of a reference jurisdiction, characterized by a reference tax base Y^R and a reference price level p^R . The power equalization grant transfers resources so as to imitate a situation in

⁴See also Bossert and Fleurbaey (1996) for an analysis of this conflict in a more general model.

which all local jurisdictions face the same reference tax base and the same reference price level. In other words, the aim is to treat all jurisdictions *as if* they were identical with respect to those factors that are outside their control. Even though it is strongly egalitarian in nature, the power equalization grant should be clearly distinguished from the equalization of public goods provision as such. Different levels of public goods provision is compatible with fiscal capacity equalization, as long as these differences are a result of differences in tax effort and not of differences in fiscal capacity.

Observation 2. *The power equalization grant scheme T^{PE} satisfies the requirement of Equal Provision for Equal Tax (EPET) and allows for differences in public goods provision due to differences in tax effort among local jurisdictions.*

We can establish the observation formally by combining (1), (4), and (11), which gives us the difference in public goods provision between two jurisdictions.

$$G_j(\mathbf{t}, T^{PE}) - G_k(\mathbf{t}, T^{PE}) = (t_j - t_k) \frac{Y^R}{p^R}. \quad (12)$$

It follows straightforwardly from (12) that the power equalization grant scheme satisfies the requirement of equal provision for equal taxes. Moreover, we also observe that there will be differences in local public goods provision if there are differences in the local tax rates (and the reference fiscal capacity is strictly positive).

However, there does not exist any reference fiscal capacity for which the power equalization grant scheme in (11) satisfies the central government budget constraint (6). In general, given (11), there will be a deficit or a surplus to be distributed among the local jurisdictions. By way of illustration, consider a situation where the central government budget balances. Suppose now that a jurisdiction j with $\frac{Y_j}{p_j} < \frac{Y^R}{p^R}$ increases its tax rate. Given (11), the transfer to all the other jurisdictions should be the same. But this is not compatible with the transfer to j , where this jurisdiction is rewarded with more than the marginal increase in local tax revenues.

In order to satisfy (6), we have to introduce what we name the *generalized power equalization grant* scheme.

$$T_i^{GPE}(\mathbf{t}) = t_i p_i \left(\frac{Y^R}{p^R} - \frac{Y_i}{p_i} \right) - g_i(\mathbf{t}) \sum t_j p_j \left(\frac{Y^R}{p^R} - \frac{Y_j}{p_j} \right), \quad (13)$$

where $\sum g_i(\mathbf{t}) = 1$. This version of the power equalization grant scheme is very general, because it does not provide a specific rule for sharing the deficit or surplus among the local jurisdictions. However, in order to have the same reward structure as for the standard power equalization grant, as given by (12), we have to share the deficit or surplus equally among the local jurisdictions. In order to see this, notice first that

$$G_j(\mathbf{t}, T^{GPE}) - G_k(\mathbf{t}, T^{GPE}) = (t_j - t_k) \frac{Y^R}{p^R} + \left(\frac{g_k(\mathbf{t})}{p_k} - \frac{g_j(\mathbf{t})}{p_j} \right) \sum t_i p_i \left(\frac{Y^R}{p^R} - \frac{Y_i}{p_i} \right). \quad (14)$$

By requiring $G_j(\mathbf{t}, T^{PE}) - G_k(\mathbf{t}, T^{PE}) = G_j(\mathbf{t}, T^{GPE}) - G_k(\mathbf{t}, T^{GPE})$, it follows from (12) and (14) that $\frac{g_k(\mathbf{t})}{p_k} = \frac{g_j(\mathbf{t})}{p_j}$. Hence, taking into account that $\sum g_i(\mathbf{t}) = 1$, we can establish that $g_j(\mathbf{t}) = \frac{p_j}{\sum p_i}$. Thus, the *balanced power equalization grant* can be written as follows,

$$T_i^{BPE}(\mathbf{t}) = t_i p_i \left(\frac{Y^R}{p^R} - \frac{Y_i}{p_i} \right) - \frac{p_i}{\sum p_j} \sum t_j p_j \left(\frac{Y^R}{p^R} - \frac{Y_j}{p_j} \right). \quad (15)$$

We will now provide a characterization of the balanced power equalization grant, where we assume that the reference fiscal capacity always is equal to the fiscal capacity of some local jurisdiction in the economy. Let us refer to this as the *reference jurisdiction*. It seems reasonable to argue that no other jurisdiction should be affected when the reference jurisdiction changes the tax rate. The underlying intuition of the power equalization grant is precisely that all local jurisdictions should be treated as if they were the reference jurisdiction, which implies that the reference jurisdiction should be held responsible for changes in marginal revenue following a change in the tax rate. Formally, we can state this as follows.

No Effect of Reference Jurisdiction (NERJ): There exists some reference jurisdiction $r \in N$ such that for any two situations characterized by some tax vectors \mathbf{t} and \mathbf{t}^1 , where $t_i = t_i^1$ for all $i \neq r$, $G_i(\mathbf{t}, T) = G_i(\mathbf{t}^1, T)$ for all $i \neq r$.

It turns out that the balanced power equalization grant is the only transfer scheme that satisfies both the requirement of no effect on reference jurisdiction and the requirement of equal provision for equal tax.

Proposition 3 *An intergovernmental transfer scheme T satisfies the requirement of Equal Provision for Equal Tax (EPET) and the requirement of No Effect of Reference Jurisdiction (NERJ) if and only if it is the balanced power equalization grant T^{BPE} .*

Proof. See Appendix, Section 7.3. ■

Hence, given the strong interpretation of the principle of fiscal capacity equalization, the balanced foundation grant is the most reasonable system of transfer from a liberal egalitarian perspective. It also satisfies a minimal interpretation of the principle of fiscal responsibility, saying that an increase in local tax effort at least should imply some increase in the overall local revenues. To what extent the local public service level will depend on local tax effort, however, is determined by the choice of reference fiscal capacity $\frac{Y^R}{p^R}$.

5 Determining the reference level

Both the balanced foundation grant and the balanced power equalization grant make use of specific reference levels. The balanced foundation grant applies a reference tax level and the balanced power equalization grant applies a reference fiscal capacity. The choice of reference level is important within both frameworks. In a balanced foundation grant system, a high reference tax level favours jurisdictions with a small tax base and a high price level, whereas a low reference tax level favours jurisdictions with a large tax base and a low price level. In a balanced power equalization grant system, a low reference fiscal capacity benefits the jurisdictions with a low tax rate, whereas a high reference fiscal capacity benefits the jurisdictions with a high tax rate. An important policy question is thus how these reference levels should be determined. In practice, this has to be decided in the political sphere, but we will show how various reasonable requirements on the transfer schemes restrict the set of possible reference levels.

5.1 No forced taxation

One fundamental intuition underlying the idea of local autonomy is that all jurisdictions should be free to choose whatever tax level they prefer. It could be argued that this freedom should include the freedom not to impose

any local taxes. Formally this requirement can be captured by the following condition.

No Forced Taxation (NFT): For any local jurisdiction j and situation characterized by the tax vector \mathbf{t} , where $t_j = 0$, $T_j \geq 0$.

It turns out that this condition is extremely restrictive when it is imposed on a balanced foundation grant scheme. The only way a balanced foundation grant scheme can satisfy no forced taxation is by setting the reference tax rate equal to zero.

Proposition 4 *A balanced foundation grant scheme T^{BF} satisfies No Forced Taxation (NFT) if and only if the reference tax rate $t^R = 0$.*

Proof. See Appendix, Section 7.4 ■

Clearly, when the reference tax rate is equal to zero, there will be no redistribution. Any interesting version of the balanced foundation grant is thus incompatible with the requirement of no forced taxation.

Surprisingly, the no forced taxation requirement has very different implications when imposed on the balanced power equalization grant scheme. It turns out that a balanced power equalization grant only satisfy no forced taxation if the reference fiscal capacity is equal to or lower than the lowest fiscal capacity in the economy $(\frac{Y}{p})^{\min} = \min \left\{ \frac{Y_1}{p_1}, \dots, \frac{Y_N}{p_N} \right\}$.

Proposition 5 *A balanced power equalization grant scheme T^{BPE} satisfies No Forced Taxation (NFT) if and only if the reference fiscal capacity is equal to or lower than $(\frac{Y}{p})^{\min}$.*

Proof. See Appendix, Section 7.5. ■

A lower reference fiscal capacity implies more redistribution in a balanced power equalization grant system. In the limiting case, where the minimal fiscal capacity in the economy is equal to zero, the balanced power equalization grant scheme can only satisfy no forced taxation by completely equalizing tax revenues between jurisdictions. Thus the requirement of no forced taxation pulls the two transfer schemes in opposite directions.

5.2 No dominance

An important ambition of a liberal egalitarian redistribution scheme is to equalize opportunities. Consequently, no jurisdiction should have an opportunity set that completely dominates the opportunity set of any other jurisdiction. We can write this requirement as follows.

No Dominance (ND): There should not exist any two local jurisdiction j and k , such that for every situation characterized by some tax vector \mathbf{t} , where $t_j = t_k > 0$, $G_j(\mathbf{t}, T) > G_k(\mathbf{t}, T)$.

Within a balanced foundation grant scheme, no dominance will be avoided if we impose a reference tax rate strictly above zero.

Proposition 6 *A balanced foundation grant scheme T^{BF} satisfies No Dominance (ND) if and only if the reference tax rate $t^R > 0$.*

Proof. See Appendix, Section 7.6. ■

It follows from Proposition 4 and Proposition 6 that it is impossible for a balanced foundation grant scheme to satisfy both no forced taxation and no dominance. This, however, is not the case for the balanced power equalization grant scheme. It is easily seen that the requirement of no dominance puts no restrictions on the choice of reference fiscal capacity.

Proposition 7 *All balanced power equalization grant schemes T^{BPE} satisfy No Dominance (ND).*

Proof. See Appendix, Section 7.7. ■

The fact that the no dominance requirement is only restrictive for the balanced foundation grant scheme, reflects that this scheme only satisfies a weak version of the principle of fiscal equalization, whereas the balanced power equalization grant scheme satisfies the strong version and equalizes local public service delivery for all levels of taxation.

5.3 Neutrality

A liberal egalitarian should also be neutral between different levels of local taxation. Hence, one should not consider a high local tax level (or high level of local public service delivery) as intrinsically better or worse than a low local tax level (or a low level of local public service delivery). How can we capture this intuition more precisely?

To formalize this idea, we introduce the concept of subgroups of jurisdictions. A group of jurisdictions $N^i = \{1^i, \dots, n^i\} \subset N$ constitute a subgroup of N if and only if $(\frac{\sum_{i \in N^i} Y_i}{n^i}) = (\frac{\sum_{i \in N} Y_i}{n})$ and $(\frac{\sum_{i \in N^i} P_i}{n^i}) = (\frac{\sum_{i \in N} P_i}{n})$, which implies that the average fiscal capacity in a subgroup is the same as the average fiscal capacity in the economy. Consider now a situation in which the economy

can be divided into two subgroups, where everyone is choosing a high tax rate in one of the subgroups and everyone is choosing a low tax rate in the other subgroup. We will argue that in this case, a transfer scheme is neutral between tax levels if and only if it does not imply a net transfer between the two subgroups groups. More formally, this requirement can be stated as follows.

Neutral Between Tax Effort Levels (NBTEL): If there exist m subgroups, N^1, \dots, N^m , where $\cup_{i=1, \dots, m} N^i = N$, then for any situation characterised by some tax vector \mathbf{t} , where $t_{1i} = \dots = t_{ni}$ for every N^i , $N^i = N^1, \dots, N^m$,
$$\sum_{i \in N^1} T_i(\mathbf{t}) = \dots = \sum_{i \in N^m} T_i(\mathbf{t}) = 0.$$

It turns out that all balanced foundation grant schemes satisfies this requirement.

Proposition 8 *All balanced foundation grant schemes T^{BF} satisfy Neutrality Between Tax Effort Levels (NBTEL).*

Proof. See Appendix, Section 7.8. ■

The underlying intuition is simply that a balanced foundation grant scheme is neutral among effort levels because the transfer received by any jurisdiction is independent of the local tax rate.

Given that the transfers in a balanced power equalization grant scheme depend on local tax effort, one might think that all versions of a balanced power equalization grant violate the neutrality condition. But this is not the case. The neutrality requirement dramatically limits the available reference levels, however, where the only reference fiscal capacity that ensures neutrality is the average fiscal capacity.

Proposition 9 *A balanced power equalization grant scheme, T^{BPE} , satisfies Neutrality Between Tax Effort Levels (NBTEL) if and only if the reference fiscal capacity is equal to $(\frac{\bar{Y}}{p})$.*

Proof. See Appendix, Section 7.9. ■

If the reference fiscal capacity is higher (lower) than the average fiscal capacity, then there will be a net transfer from (to) a subgroup with a high tax rate to (from) a subgroup with a low tax rate. The only reference fiscal capacity that avoids any such net transfer between subgroups (when all jurisdictions in each of the subgroups exercise the same level of effort), is the average fiscal capacity in the economy.

6 Concluding remarks

There is a tension between the ideal of local autonomy and interregional equality. In this paper, we have argued that two important interregional grant formulas, the foundation grant and the power equalization grant, can be seen as two different ways of resolving this tension. Using different interpretations of the principle of fiscal capacity equalization and the principle of fiscal responsibility, we have characterized both the balanced foundation grant scheme and the balanced power equalization grant scheme. The foundation grant satisfies a weak interpretation of the principle of fiscal capacity equalization, the *equal provision for reference tax* requirement, and a strong interpretation of the principle of fiscal responsibility, the *marginal revenue responsibility* requirement. The power equalization grant scheme, on the other hand, satisfies a stronger interpretation of the principle of fiscal capacity equalization, the requirement of *equal provision for equal tax*, and a weaker interpretation of the principle of responsibility. The two liberal egalitarian principles thus provide a normative justification for these two transfer schemes.

Both transfer schemes rely on the choice of reference levels, namely a reference tax in the balanced foundation grant and a reference fiscal capacity in the balanced power equalization grant. The paper has also analyzed how three reasonable requirements on the transfer schemes restrict the choice of such reference levels. First, we established that the requirement of no forced taxation has opposite effects on the two transfer schemes; it implies no redistribution within the balanced foundation grant scheme, whereas it implies a high degree of equalization within the balanced power equalization scheme. Secondly, we established that the requirement of no dominance of opportunity sets does not limit the choice of reference fiscal capacity within the balanced power equalization grant, but it implies that the reference tax rate under the balanced foundation grant should be positive. Consequently, it is impossible for any balanced foundation grant to satisfy both no forced taxation and no dominance. Finally, we showed that all balanced foundation grant schemes satisfy a neutrality requirement saying that no level of local taxation (or public service delivery) should be considered intrinsically better than any other local level of taxation. The power equalization grant, however, only satisfies this requirement if the reference fiscal capacity is equal to the average fiscal capacity.

7 Appendix

7.1 Proof of Proposition 1

Let us first prove the if part of the proposition.

(i) To see that T^{BF} satisfies ERST for any t^R , consider any situation characterised by some tax vector \mathbf{t} , where for some local jurisdictions j, k , $t_j = t_k = t^R$. By combining (10) and (4), it follows that $G_j(\mathbf{t}, T^{BF}) = G_k(\mathbf{t}, T^{BF}) = t^R \frac{\bar{Y}}{\bar{p}}$.

(ii) To see that T^{BF} satisfies MRR for any t^R , consider any two situation characterised by the tax vectors \mathbf{t}, \mathbf{t}^1 , where for some local jurisdiction j , $t_j \neq t_j^1$ and $t_i = t_i^1$ for all $i \neq j$. By (10), $T_i^{BF}(\mathbf{t}) = T_i^{BF}(\mathbf{t}^1)$ for all i . Hence, by (1), $R_i(\mathbf{t}, T^{BF}) = R_i(\mathbf{t}^1, T^{BF})$ for all $i \neq j$ and $R_j(\mathbf{t}, T^{BF}) - R_j(\mathbf{t}^1, T^{BF}) = (t_j - t_j^1)Y_j$.

We will now prove the only-if part of the proposition.

(iii) Consider a situation characterized by \mathbf{t}^R , in which all local jurisdictions have chosen the reference tax rate, t^R . From ERST, $G_i(\mathbf{t}^R, T) = G_j(\mathbf{t}^R, T)$ for all jurisdictions i . From (10), we know that the transfer to each jurisdiction in this case is given by $T_i(\mathbf{t}^R) = t^R \bar{Y} (\frac{p_i}{\bar{p}} - \frac{Y_i}{\bar{Y}})$.

(iv) We will now prove that for any situation characterized by \mathbf{t} , $T_i(\mathbf{t}) = T_i(\mathbf{t}^R) = T_i^{BF}(\mathbf{t})$ for all i . Consider first a situation characterized by \mathbf{t}^1 , where for some k , $t_i^1 = t^R, \forall i \neq k$ and $t_k^1 = t_k$. From MRR, we know that $R_i(\mathbf{t}^R, T) - R_i(\mathbf{t}^1, T) = 0, \forall i \neq k$. This implies, using (6), that $T_i(\mathbf{t}^1) = T_i(\mathbf{t}^R)$ for all i .

(v) By repeating (iv) for each $i \neq k$, we get that $T_i(\mathbf{t}) = T_i(\mathbf{t}^R) = T_i^{BF}(\mathbf{t})$ for all i . The result follows.

7.2 Proof of Proposition 2

The proof relies on the assumption that there exist two jurisdictions, j and k , with different fiscal capacity, i.e., $\frac{Y_j}{p_j} \neq \frac{Y_k}{p_k}$.

(i) Consider a situation characterized by some tax vector \mathbf{t} , in which all local jurisdictions have chosen the same tax rate. By EPET, $G_i(\mathbf{t}, T) = G_j(\mathbf{t}, T)$ for all jurisdictions i .

(ii) Consider now a situation characterized by a tax vector \mathbf{t}^1 , where $t_i^1 = t_i$, for all $i \neq j$ and $t_j^1 \neq t_j$. By MRR, $R_i(\mathbf{t}, T) - R_i(\mathbf{t}^1, T) = 0$ for all $i \neq j$. From (1) and (6), we have that $R_j(\mathbf{t}^1, T) - R_j(\mathbf{t}, T) = (t_j^1 - t_j)Y_j$. By (1) and

(4), $G_i(\mathbf{t}^1, T) = G_i(\mathbf{t}, T)$ for all $i \neq j$, and $G_j(\mathbf{t}^1, T) - G_j(\mathbf{t}, T) = \frac{(t_j^1 - t_j)Y_j}{p_j}$.

(iii) Finally, consider a situation characterized by the tax vector \mathbf{t}^2 , where $t_i^2 = t_i^1$, for all $i \neq k$ and $t_k^2 = t_j^1$. From the same reasoning as in (ii), it follows that $G_i(\mathbf{t}^2, T) = G_i(\mathbf{t}^1, T)$, for all $i \neq k$, and $G_k(\mathbf{t}^2, T) - G_k(\mathbf{t}^1, T) = \frac{(t_k^2 - t_k^1)Y_k}{p_k}$. By the fact that $(t_j^1 - t_j) = (t_k^2 - t_k^1)$, it follows that $G_k(\mathbf{t}^2, T) - G_k(\mathbf{t}^1, T) = \frac{(t_j^1 - t_j)Y_k}{p_k}$.

(iv) By (ii) and (iii), $G_j(\mathbf{t}^2, T) = G_j(\mathbf{t}, T) + \frac{(t_j^1 - t_j)Y_j}{p_j}$ and $G_k(\mathbf{t}^2, T) = G_k(\mathbf{t}, T) + \frac{(t_j^1 - t_j)Y_k}{p_k}$. By (i), $G_j(\mathbf{t}, T) = G_k(\mathbf{t}, T)$. By assumption, $\frac{Y_j}{p_j} \neq \frac{Y_k}{p_k}$, and thus $\frac{(t_j^1 - t_j)Y_j}{p_j} \neq \frac{(t_j^1 - t_j)Y_k}{p_k}$. Hence, $G_j(\mathbf{t}^2, T) \neq G_k(\mathbf{t}^2, T)$. But this violates EPET, and the result follows.

7.3 Proof of Proposition 3

Let us first prove the if part of the proposition.

(i) To see that T^{BPE} satisfies EPET for any reference jurisdiction r , consider any situation characterised by some tax vector \mathbf{t} , where $t_j = t_k = t$ for some local jurisdictions j, k . By combining (15) and (4), it follows that $G_j(\mathbf{t}, T^{BPE}) = G_k(\mathbf{t}, T^{BPE}) = \frac{Y^R}{p^R} t - \sum t_i p_i (\frac{Y^R}{p^R} - \frac{Y_i}{p_i})$.

(ii) To see that T^{BPE} satisfies NERJ for any reference jurisdiction r , consider any two situations characterised by some tax vectors \mathbf{t}, \mathbf{t}^1 , where $t_i = t_i^1$ for all $i \neq r$. By combining (15) and (4), it follows that $G_j(\mathbf{t}, T^{BPE}) - G_j(\mathbf{t}^1, T^{BPE}) = \frac{1}{\sum p_i} (\sum t_i^1 p_i (\frac{Y^R}{p^R} - \frac{Y_i}{p_i}) - \sum t_i p_i (\frac{Y^R}{p^R} - \frac{Y_i}{p_i}))$. By the fact that $t_i = t_i^1$ for all $i \neq r$, it follows that $t_i^1 p_i (\frac{Y^R}{p^R} - \frac{Y_i}{p_i}) = t_i p_i (\frac{Y^R}{p^R} - \frac{Y_i}{p_i})$ for all $i \neq r$. By the fact that r is the reference jurisdiction, it follows that $t_r^1 p_r (\frac{Y^R}{p^R} - \frac{Y_r}{p_r}) = t_r p_r (\frac{Y^R}{p^R} - \frac{Y_r}{p_r}) = 0$. Taking together, this implies that $G_j(\mathbf{t}, T^{BPE}) - G_j(\mathbf{t}^1, T^{BPE}) = 0$.

We will now prove the only-if part of the proposition.

(iv) By (15) and (4), it follows that $G_j(\mathbf{t}, T^{BPE}) - G_k(\mathbf{t}, T^{BPE}) = (t_j - t_k) \frac{Y^R}{p^R}$. Suppose that there exists some transfer scheme T different from T^{BPE} satisfying EPET and NERJ. This implies that for some jurisdictions j and k and some situation characterized by some tax vector \mathbf{t} , $G_k(\mathbf{t}, T) - G_j(\mathbf{t}, T) \neq (t_k - t_j) \frac{Y^R}{p^R}$. It follows from the fact that T satisfies EPET that $t_k \neq t_j$, which we thus assume in the rest of the proof.

(v) Consider a situation characterized by \mathbf{t}^1 , where $t_i^1 = t_i$ for all $i \neq r$ and $t_r^1 = t_j$, where r is the reference jurisdiction. By EPET, $G_r(\mathbf{t}^1, T) = G_j(\mathbf{t}^1, T)$ and by NERJ, $G_i(\mathbf{t}^1, T) = G_i(\mathbf{t}, T)$, for all $i \neq r$. Hence, we have that $G_r(\mathbf{t}^1, T) = G_j(\mathbf{t}, T)$.

(vi) Consider a situation characterized by \mathbf{t}^2 , where $t_i^2 = t_i^1$, for all $i \neq r$ and $t_r^2 = t_k$. By EPET and the fact that $t_2^k = t_k$, $G_r(\mathbf{t}^2, T) = G_k(\mathbf{t}^2, T)$ and by NERJ, $G_i(\mathbf{t}^2, T) = G_i(\mathbf{t}^1, T)$, for all $i \neq l$. Hence, also taking into account (v), $G_r(\mathbf{t}^2, T) = G_k(\mathbf{t}, T)$.

(vii) By (v), (vi) and (6), we then have that $G_r(\mathbf{t}^2, T) - G_r(\mathbf{t}^1, T) = (t_r^2 - t_r^1) \frac{Y^R}{p^R}$. Given that $t_r^2 = t_k^2 = t_k$ and $t_r^1 = t_j^1 = t_j$, it follows that $G_r(\mathbf{t}^2, T) - G_r(\mathbf{t}^1, T) = (t_k - t_j) \frac{Y^R}{p^R}$.

(viii) From (ii) and (iii), we have that $G_r(\mathbf{t}^1, T) = G_j(\mathbf{t}, T)$ and $G_r(\mathbf{t}^2, T) = G_k(\mathbf{t}, T)$. Thus, given (vii), it follows that $G_k(\mathbf{t}, T) - G_j(\mathbf{t}, T) = (t_k - t_j) \frac{Y^R}{p^R}$. Hence, the supposition in (i) is not possible.

(viii) Given (viii) and taking into account (1) and (4), we have that for any \mathbf{t} and any two local jurisdiction j and i , $G_j(\mathbf{t}, T) - G_i(\mathbf{t}, T) = \frac{t_j Y_j + T_j(\mathbf{t})}{p_j} - \frac{t_i Y_i + T_i(\mathbf{t})}{p_i} = (t_j - t_i) \frac{Y^R}{p^R}$. Hence, by rearranging and comparing jurisdiction j with all local jurisdictions $i = 1, \dots, N$, we have that $\sum_i [p_i \frac{t_j Y_j + T_j(\mathbf{t})}{p_j} - (t_i Y_i + T_i(\mathbf{t}))] = \sum_i [p_i (t_j - t_i) \frac{Y^R}{p^R}]$. By taking into account (6) and simplifying, we find that $T_j(\mathbf{t}) = t_j p_j (\frac{Y^R}{p^R} - \frac{Y_j}{p_j}) - \frac{p_j}{\sum p_i} \sum t_i p_i (\frac{Y^R}{p^R} - \frac{Y_i}{p_i})$. The result follows.

7.4 Proof of Proposition 4

The if part of this proposition is trivial and hence we will only prove the only-if part.

(i) By assumption, there exists a local jurisdiction j such that $\frac{\bar{Y}}{\bar{p}} > \frac{Y_j}{p_j}$. Consider any situation characterised by a tax vector \mathbf{t} , where $t_i = 0$ for all $i \neq j$ and $t_j > 0$.

(ii) By (10), $T_j^{BF}(\mathbf{t}) > 0$ for any $t^R > 0$. By NFT, $T_i^{BF}(\mathbf{t}) \geq 0$ for all $i \neq j$. But given (6), this is not possible. The result follows.

7.5 Proof of Proposition 5

The if part.

(i) Consider any jurisdiction j and any situation characterised by some tax vector \mathbf{t} , where $t_j = 0$. It follows from (15) that $T_j^{BPE}(\mathbf{t}) = -\frac{p_j}{\sum p_i} \sum t_i p_i (\frac{Y^R}{p^R} -$

$\frac{Y_i}{p_i}$). It follows that $T_j^{BPE}(\mathbf{t}) \geq 0$ if $\frac{Y^R}{p^R} \leq (\frac{Y}{p})^{\min}$.

The only-if part.

(ii) Consider some jurisdiction j and any tax vector \mathbf{t} , where $\frac{Y_j}{p_j} = (\frac{Y}{p})^{\min}$, $t_j > 0$, and $t_i = 0$ for all $i \neq j$. By (15), $T_k^{BPE}(\mathbf{t}) = -\frac{p_k}{\sum p_i} \sum t_i p_i (\frac{Y^R}{p^R} - \frac{Y_i}{p_i})$ for all $k \neq j$. But this implies that if $\frac{Y^R}{p^R} > (\frac{Y}{p})^{\min}$, then $T_k^{BPE}(\mathbf{t}) < 0$ for all $k \neq j$. However, this violates NFT and the result follows.

7.6 Proof of Proposition 6

The only-if part of this proposition is trivial and hence we will only prove the if part.

(i) By combining (1), (4), and (10), it follows that for every \mathbf{t} , $G_i(\mathbf{t}, T^{BF}) = (t_i - t^R) \frac{Y_i}{p_i} + t^R \frac{\bar{Y}}{p}$.

(ii) Consider any two local jurisdictions j and k . If $\frac{Y_j}{p_j} = \frac{Y_k}{p_k}$, then it follows straightforwardly from (i) that for every \mathbf{t} , where $t_j = t_k$, $G_j(\mathbf{t}, T^{BF}) = G_k(\mathbf{t}, T^{BF})$.

(iii) Consider the case where $\frac{Y_j}{p_j} > \frac{Y_k}{p_k}$. Given that $t^R > 0$, it follows that there exist \mathbf{t} and \mathbf{t}^1 , where $t_j = t_k < t^R$ and $t_j = t_k > t^R$. By (i), it follows that $G_j(\mathbf{t}, T^{BF}) < G_k(\mathbf{t}, T^{BF})$ and $G_j(\mathbf{t}^1, T^{BF}) > G_k(\mathbf{t}^1, T^{BF})$. The result follows.

7.7 Proof of Proposition 7

Consider any two jurisdictions j, k and any situation characterised by some tax vector \mathbf{t} , where $t_j = t_k > 0$. By (1), (4), and (15), $G_j(\mathbf{t}, T^{BPE}) - G_k(\mathbf{t}, T^{BPE}) = (t_j - t_k) \frac{Y^R}{p^R} = 0$, and the result follows.

7.8 Proof of Proposition 8

Consider any subgroup N^m and situation characterised by some tax vector \mathbf{t} , where $t_{1^m} = \dots = t_{n^m}$. By (10), we have that $\sum_{i \in N^m} T_i^m(\mathbf{t}) = \sum_{i \in N^m} t^R p_i (\frac{\bar{Y}}{p} -$

$\frac{Y_i}{p_i}) = t^R (\sum_{i \in N^m} p_i \frac{\bar{Y}}{p} - \sum_{i \in N^m} Y_i)$. By the definition of a subgroup, we know that

$\sum_{i \in N^m} \frac{p_i}{n^m} = \bar{p}$ and $\sum_{i \in N^m} \frac{Y_i}{n^m} = \bar{Y}$. Hence, it follows that $\sum_{i \in N^m} T_i^m(\mathbf{t}) = 0$.

7.9 Proof of Proposition 9

The proof relies on the assumption that there exist m subgroups, N^1, \dots, N^m , where $\cup_{i=1, \dots, m} N^i = N$.

We will first prove the if part of the proposition.

(i) Consider any situation characterised by some tax vector \mathbf{t} , where $t_{1^i} = \dots = t_{N^i}$ for every N^i , $N^i = N^1, \dots, N^m$. By (15), it follows that for any subgroup N^i , $\sum_{i \in N^i} T_i^{BPE}(\mathbf{t}) = \sum_{i \in N^i} [t_i p_i (\frac{Y^R}{p^R} - \frac{Y_i}{p_i}) - \frac{p_i}{\sum_{j \in N} p_j} \sum_{j \in N} t_j p_j (\frac{Y^R}{p^R} - \frac{Y_j}{p_j})]$.

(ii) Let us first consider the first term in $\sum_{i \in N^i} T_i^{BPE}(\mathbf{t})$, as given in (i). If $\frac{Y^R}{p^R} = \frac{\bar{Y}}{\bar{p}}$ and $t_{1^i} = \dots = t_{n^i} = t^*$, then $\sum_{i \in N^i} t_i p_i (\frac{Y^R}{p^R} - \frac{Y_i}{p_i}) = \sum_{i \in N^i} t^* p_i (\frac{\bar{Y}}{\bar{p}} - \frac{Y_i}{p_i}) = t^* \sum_{i \in N^i} p_i (\frac{\bar{Y}}{\bar{p}} - \frac{\sum_{i \in N^i} Y_i}{\sum_{i \in N^i} p_i}) = 0$.

(iii) Consider now the second part of the second term in $\sum_{i \in N^i} T_i^{BPE}(\mathbf{t})$, as given in (i), that is $\sum_{j \in N} t_j p_j (\frac{Y^R}{p^R} - \frac{Y_j}{p_j})$. Given the assumption that there exist m subgroups, N^1, \dots, N^m , where $\cup_{i=1, \dots, m} N^i = N$, it follows straightforwardly that we can write $\sum_{j \in N} t_j p_j (\frac{Y^R}{p^R} - \frac{Y_j}{p_j}) = \sum_{i=N^1}^{N^m} \sum_{j \in i} t_j p_j (\frac{Y^R}{p^R} - \frac{Y_j}{p_j})$. By the same line of reasoning as in (ii), we can show that for every $i = N^1, \dots, N^m$, $\sum_{j \in i} t_j p_j (\frac{Y^R}{p^R} - \frac{Y_j}{p_j}) = 0$.

(iv) In sum, taking together (ii) and (iii), we have established that $\sum_{i \in N^i} T_i^{BPE}(\mathbf{t}) = 0$, and the result follows.

We will now prove the only-if part.

(v) Consider any situation where we have m subgroups, N^1, \dots, N^m , where $\cup_{i=1, \dots, m} N^i = N$, and some tax vector \mathbf{t} , where $t_{1^i} = \dots = t_{n^i}$ for every N^i , $N^i = N^1, \dots, N^m$. Consider any two subgroups j and k , where $t_{1^j} = \dots = t_{n^j} = t$, $t_{1^k} = \dots = t_{n^k} = t^1$, and $t > t^1$. By (i) and the definition of subgroups (where $\frac{\sum_{i \in N^j} Y_i}{\sum_{i \in N^j} p_i} = \frac{\sum_{i \in N^k} Y_i}{\sum_{i \in N^k} p_i} = (\frac{\bar{Y}}{\bar{p}})$ and $\frac{\sum_{i \in N^j} p_i}{n^j} = \frac{\sum_{i \in N^k} p_i}{n^k} = \bar{p}$), it follows from (15) that $\sum_{i \in N^j} T_i^{BPE}(\mathbf{t}) - \sum_{i \in N^k} T_i^{BPE}(\mathbf{t}) = (t - t^1) \bar{p} (\frac{Y^R}{p^R} - \frac{\bar{Y}}{\bar{p}}) > 0$. This violates NBTEL if $\frac{Y^R}{p^R} \neq \frac{\bar{Y}}{\bar{p}}$, and the result follows.

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